

Heavy liquid Argon time projection chamber as a new-generation space γ -ray telescope

On the future of γ -ray astronomy
in the 100 MeV–1 TeV energy range

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Liquid Argon (LAr) as a detector medium

I. Basic idea: electric field \rightarrow drift on the third coordinate

Two-phase time projection chamber (TPC): Dolgoshein et al. (1970)

General discussion of the TPC concept: Nygren (1974)

Liquid Argon TPC: Rubbia (1977)

II. The state-of-art: ICARUS T 600 (600 t of LAr) --- Rubbia et al. (2011)

III. Future: **DUNE 68 kt (!!) of LAr** (Acciarri et al., 2015)

IV. A few tips on the technology:

1) The LAr technique allows to construct fully active, easily scalable, cost-effective detectors with reasonable spatial resolution

2) Boiling point @ 1 atm.: 87.3 K (nitrogen: 77.3 K)

3) Purification: extremely effective even with commercially available cartridges (electronegative impurities $10^{-6} \rightarrow 10^{-12}$)

V. Many methodical studies in the recent years, in particular:

recombination (R. Acciarri et al., ArgoNeuT collaboration (2013))

VI. Application in astroparticle physics: mainly MeV energy range --- Bernard et al. (2013); cf. gas TPC: Hunter et al. (2014) (AdEPT); Gros et al. (2018) (HARPO)

Liquid Argon as a detector medium: theory (Cataudella et al. (2017))

$$\frac{\partial N_+(\vec{r}, t)}{\partial t} = D_+ \nabla^2 N_+(\vec{r}, t) - \alpha N_+ N_- + \mu_+ \vec{E} \cdot \nabla N_+(\vec{r}, t)$$

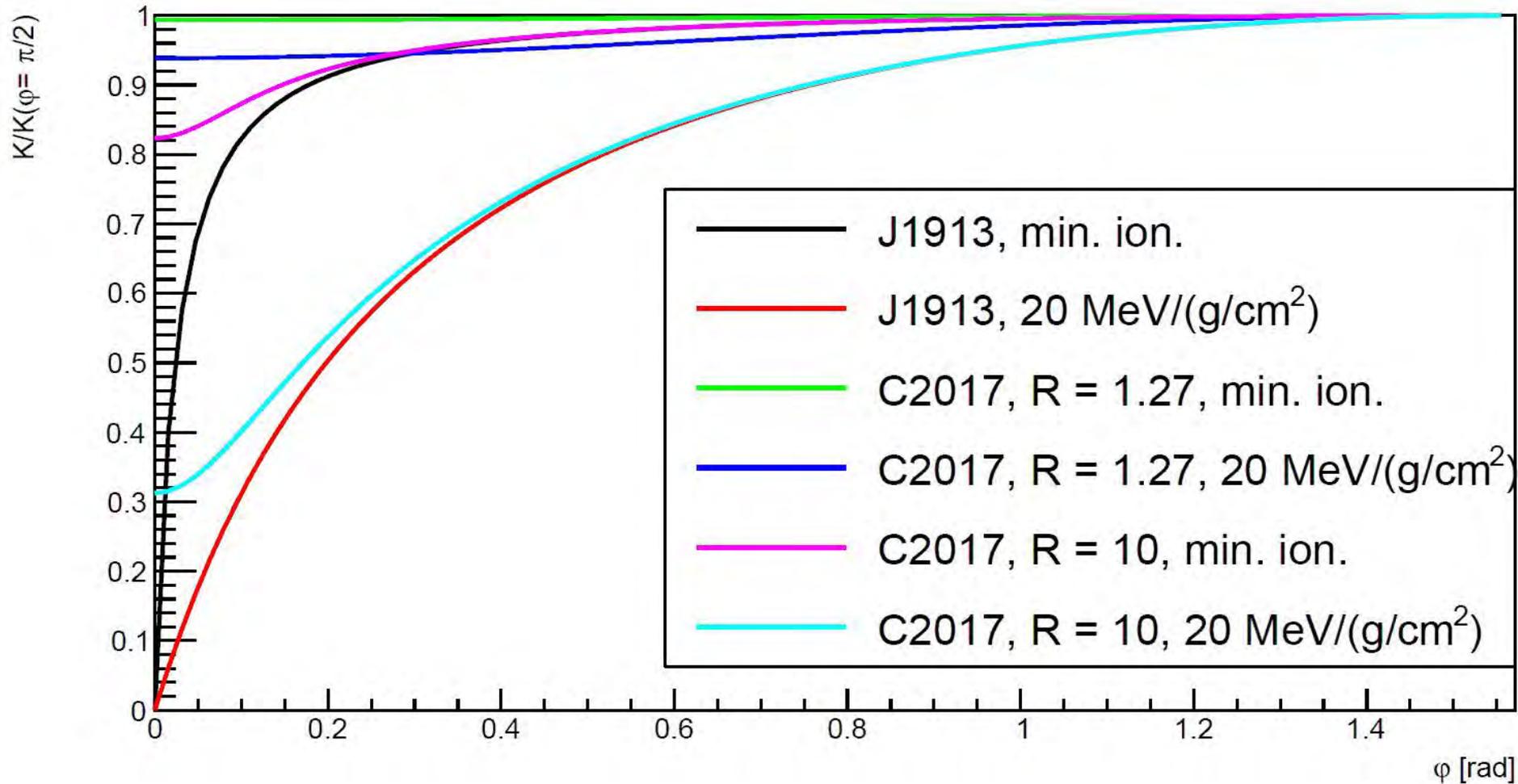
$$\frac{\partial N_-(\vec{r}, t)}{\partial t} = D_- \nabla^2 N_-(\vec{r}, t) - \alpha N_+ N_- - \mu_- \vec{E} \cdot \nabla N_-(\vec{r}, t)$$

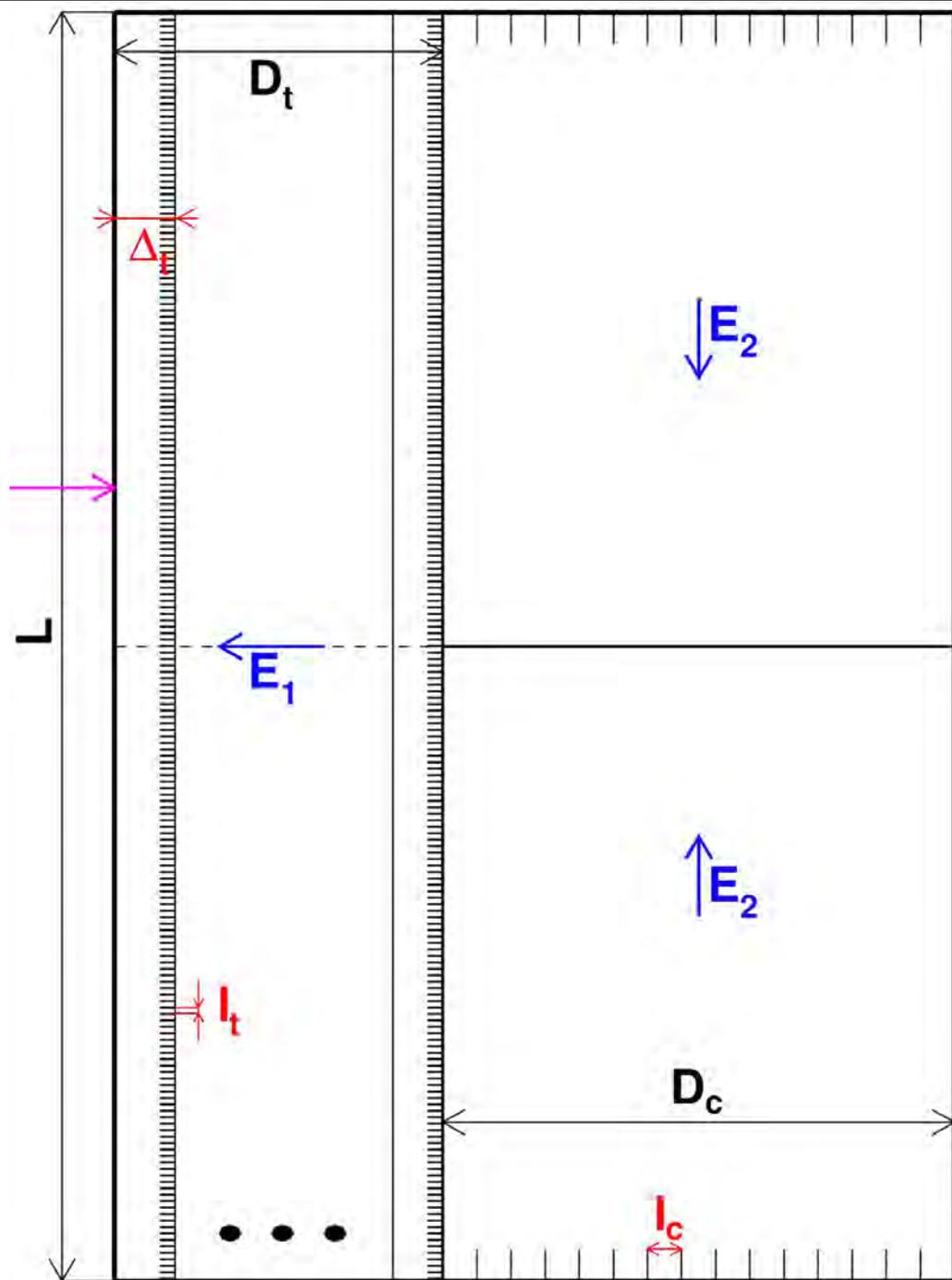
diffusion, recombination, and drift

$$N_0(\vec{r}) = N_-(\vec{r}, 0) = N_+(\vec{r}, 0) = \frac{Q_0}{(2\pi)^{3/2} R \sigma^3} e^{-\frac{1}{2\sigma^2} \left(x^2 + y^2 + \frac{z^2}{R^2} \right)}$$

the classical estimate for the charge carrier survival probability ($\sim \sin(\varphi)$, Jaffe) is far too pessimistic
(1913) \rightarrow (2017)

Charge carrier survival probability vs. ϕ



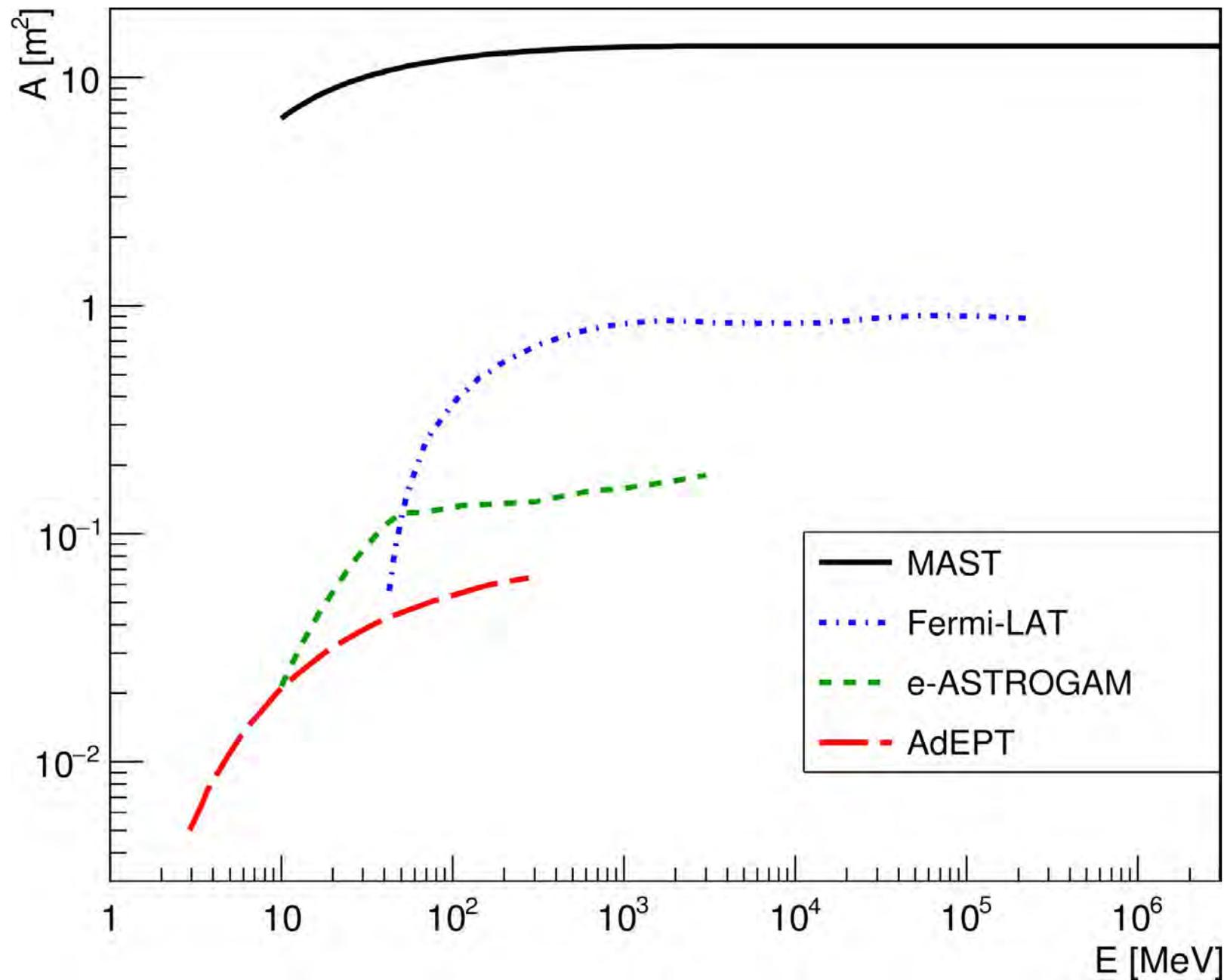


“parallel” TPC ($E_1 \parallel \text{axis}$)
 ~6 million channels
 (cf. Fermi-LAT: 0.88 million
 --- Thompson (2015))

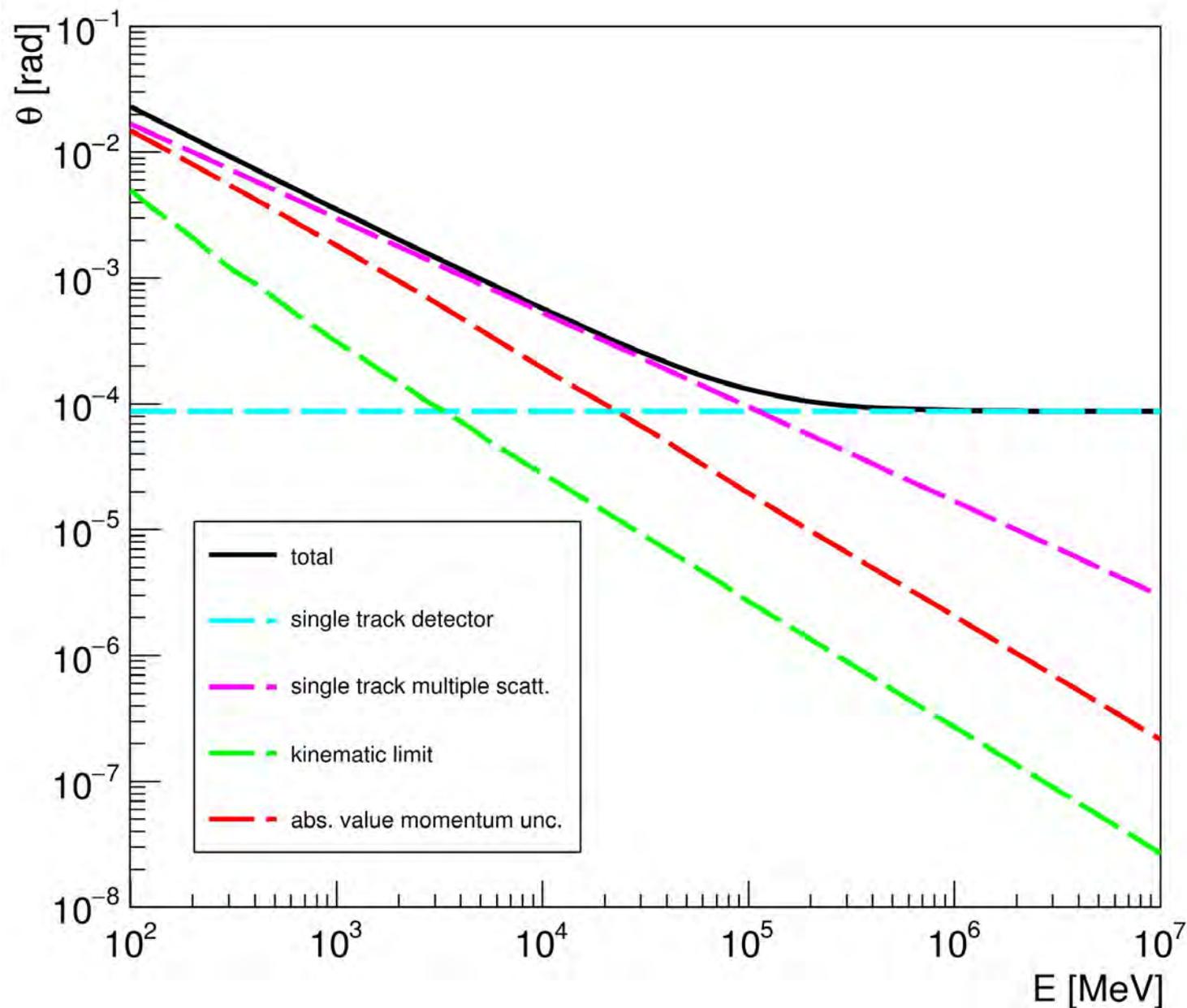
$M = 36$ t (would need a Falcon
 Heavy!); power: 4.4 kW
 (Fermi-LAT: 650 W)
 4m X 4m aperture
 11.4 radiation units

Tracker pitch: 100 mkm
 Tracker consists of 50 layers
 (total thickness of the tracker =
 50 cm), $E_1 = 3$ kV/cm
 Calorimeter pitch: 1 mm
 (total thickness of the
 calorimeter = 110 cm),
 $E_2 = 0.5$ kV/cm

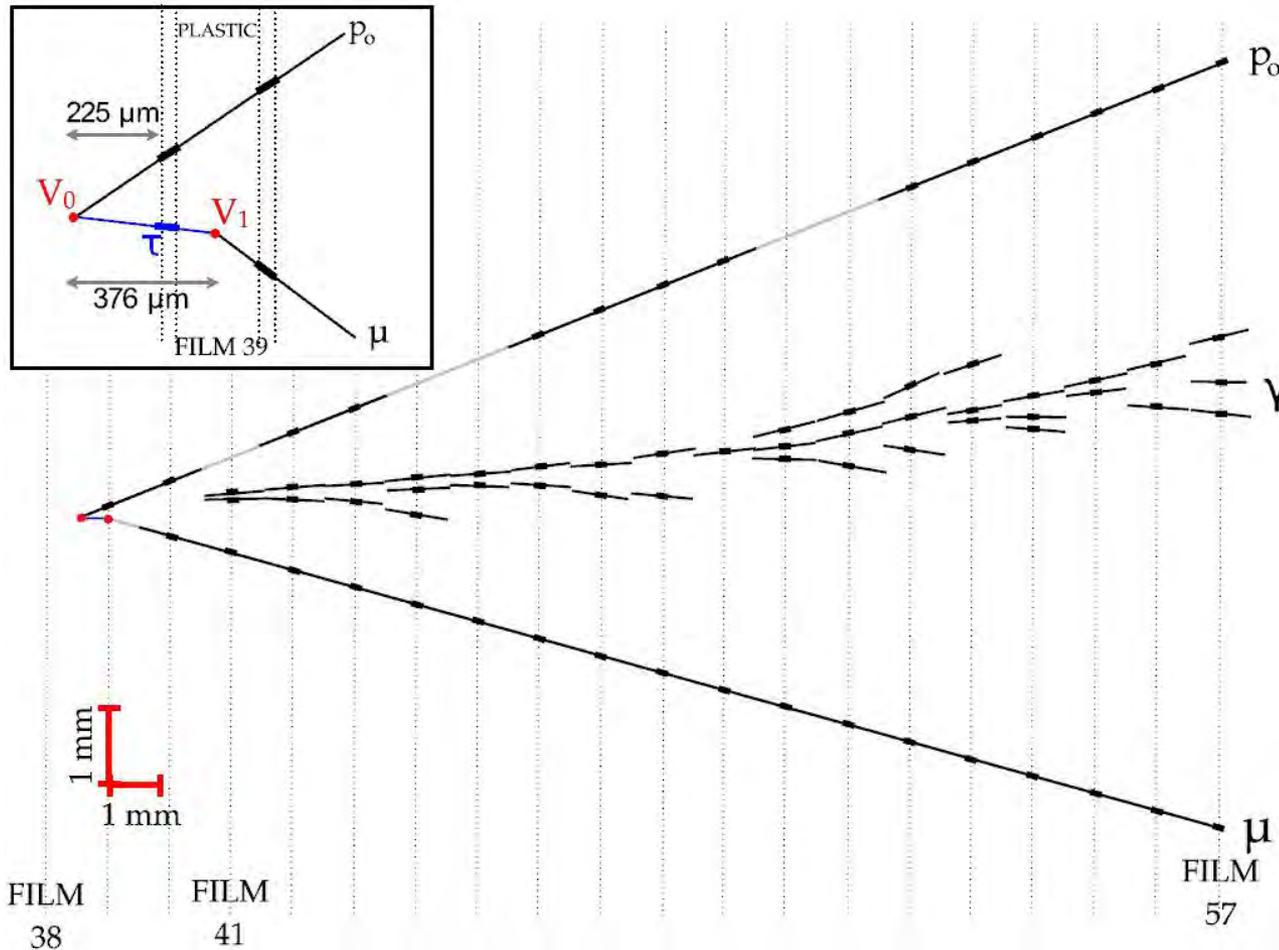
Effective area vs. energy



Angular resolution vs. energy: four main components



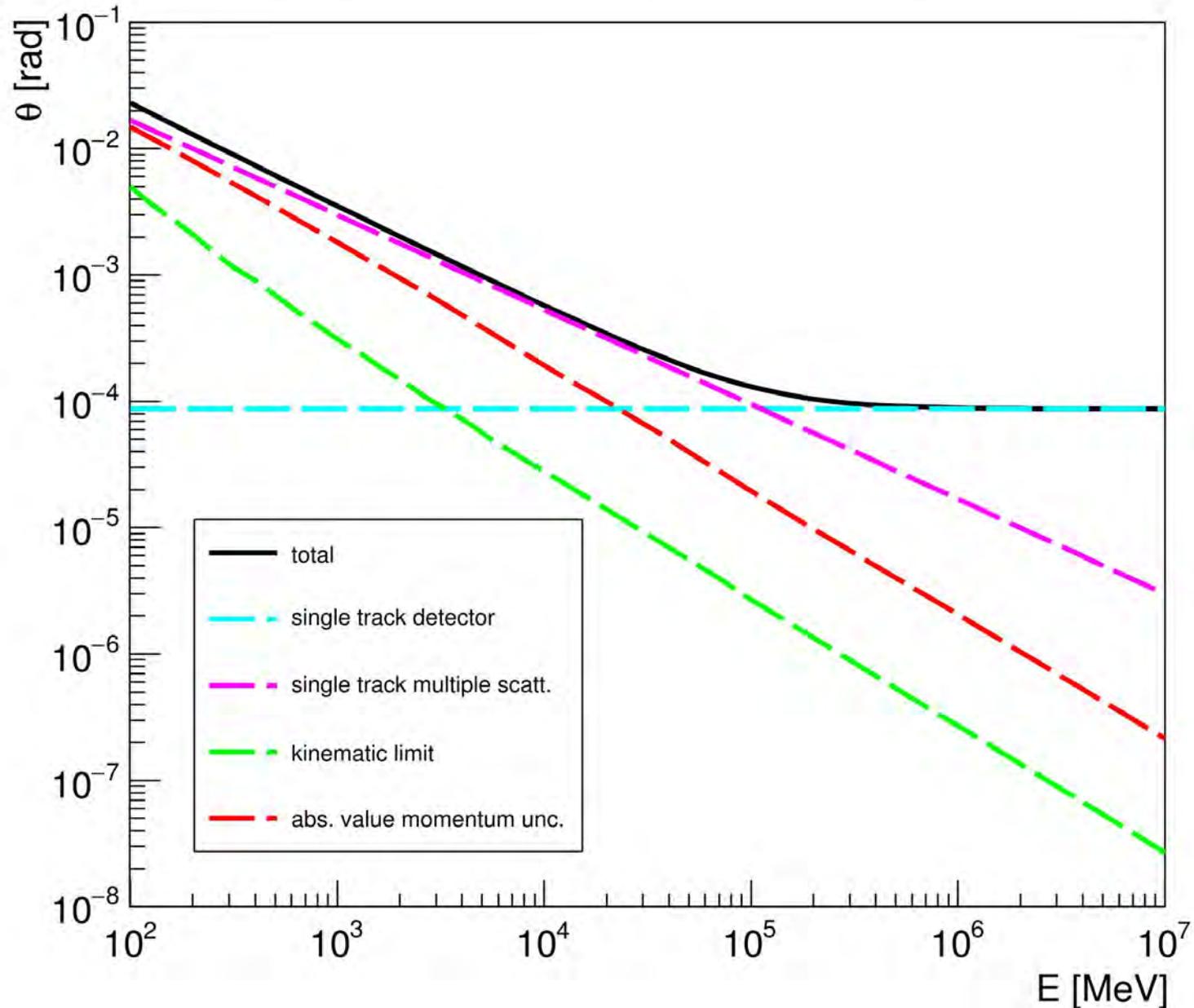
Can we measure p^+/p^- ?



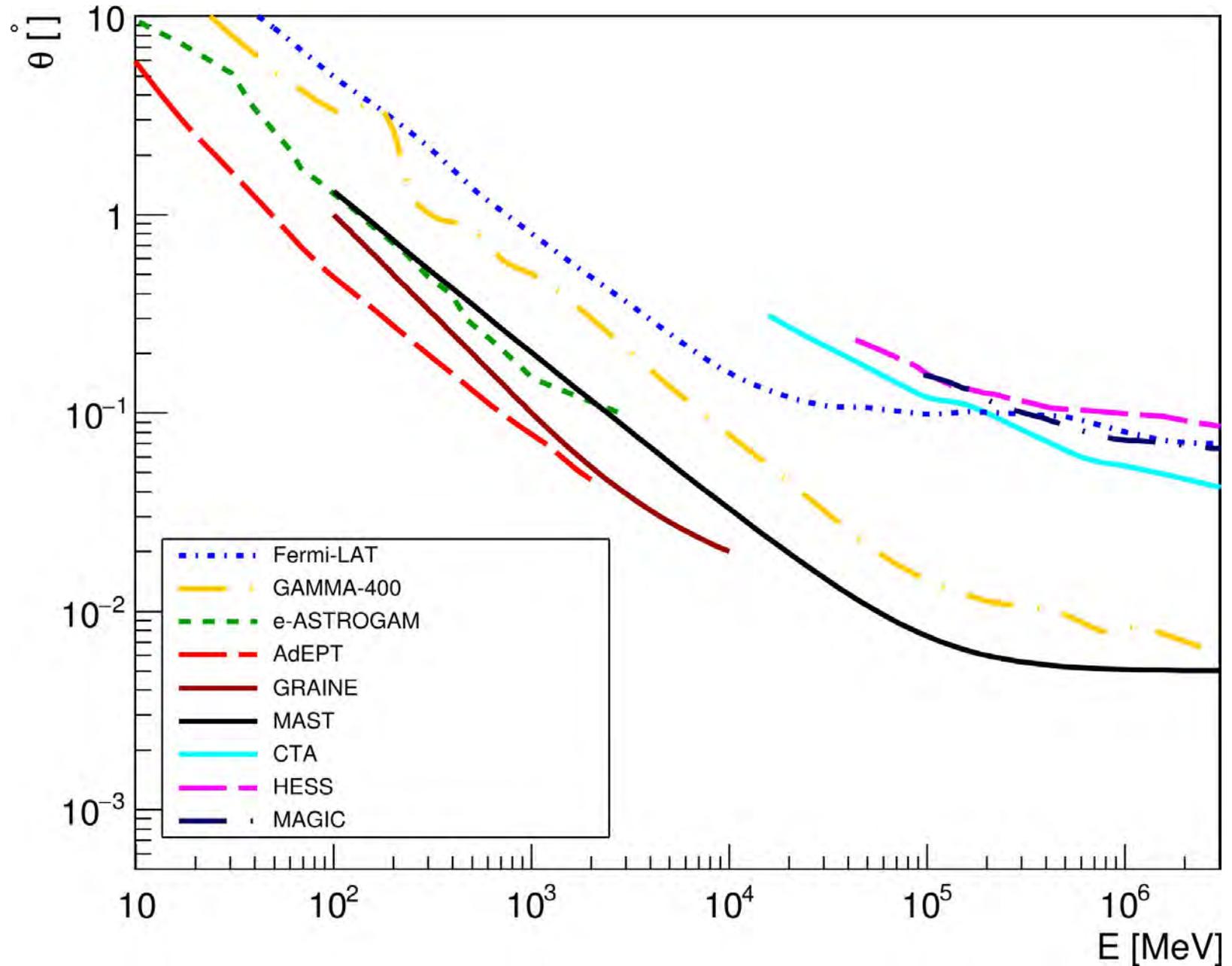
We have had some experience with GeV showers in the OPERA experiment (Agafonova et al. (2014))

Electron and positron subshowers could overlap strongly! \rightarrow We assume $p^+/p^- = 1$, and then account for the associated methodical uncertainty

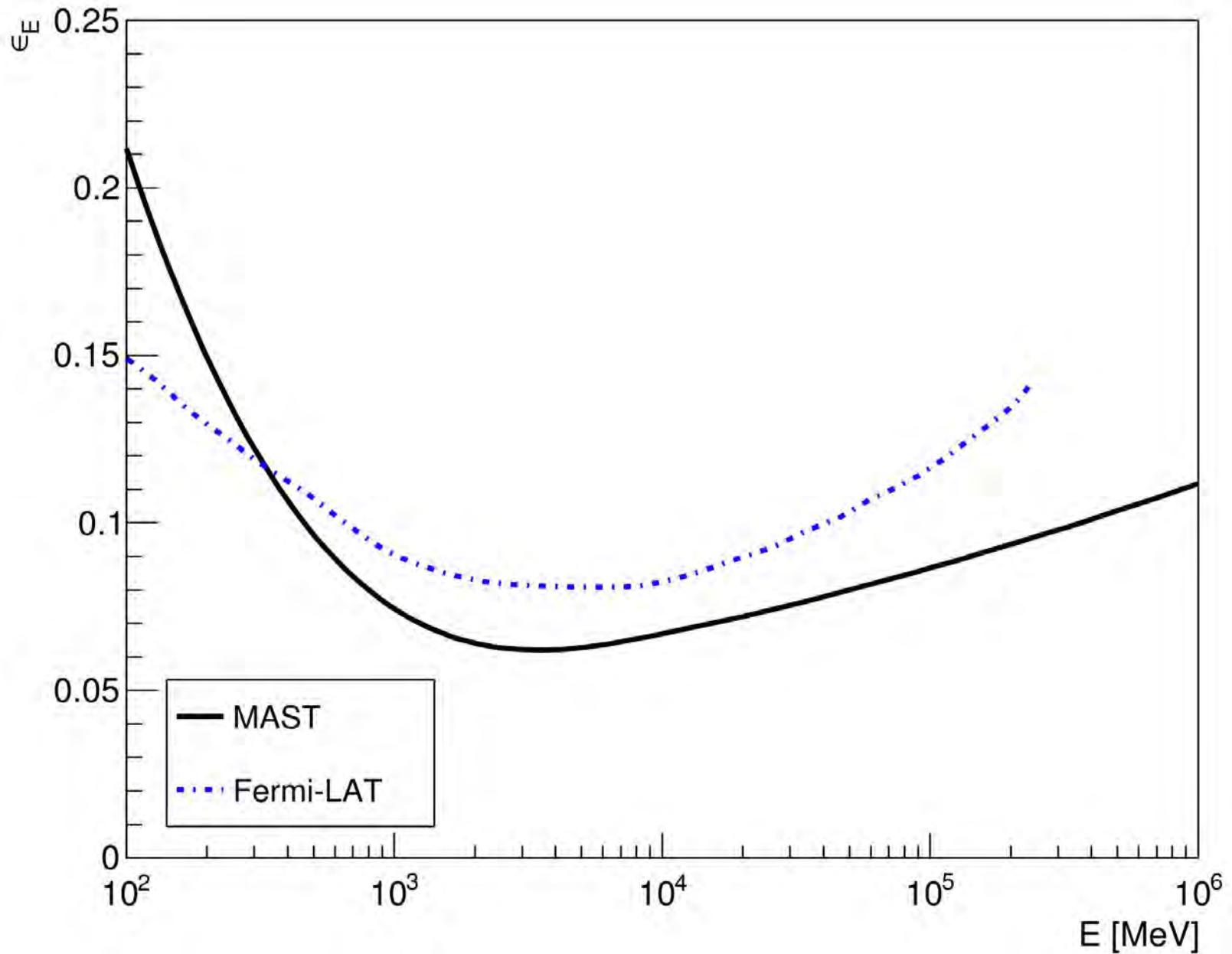
Angular resolution vs. energy: the contribution associated with the p^+/p^- uncertainty can be significant!



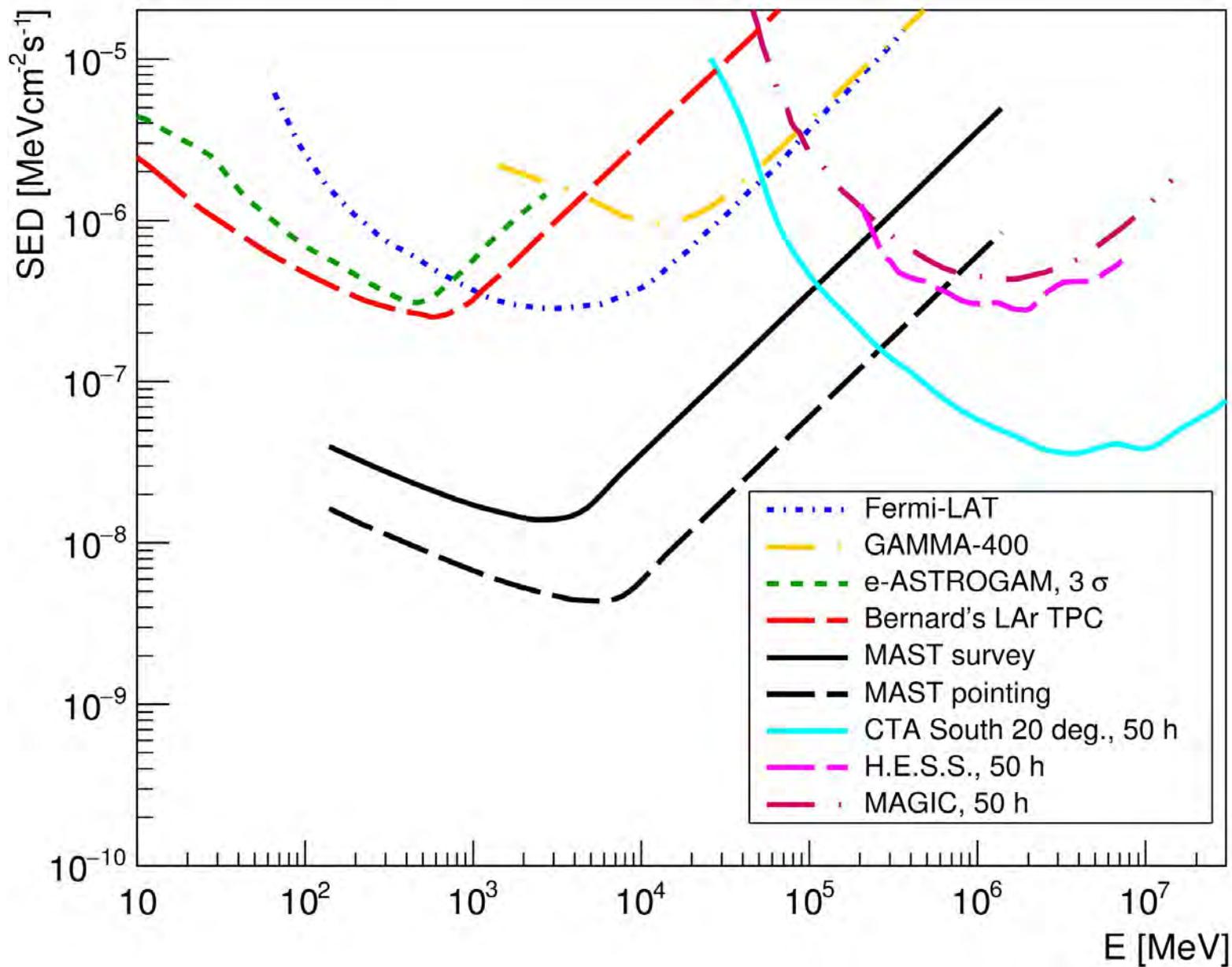
Angular resolution vs. energy



Energy resolution vs. energy



Differential sensitivity for point-like sources



Anti-coincidence detector (ACD) and backgrounds

The ACD could be similar to the Fermi-LAT one (plastic scintillator, inefficiency $\delta = 3 \times 10^{-4}$ (Moiseev et al., 2007))

Trigger condition ($S_{\text{ACD}}=0$) & ($E_{\text{dep}} > 30 \text{ MeV}$)

Expected rates

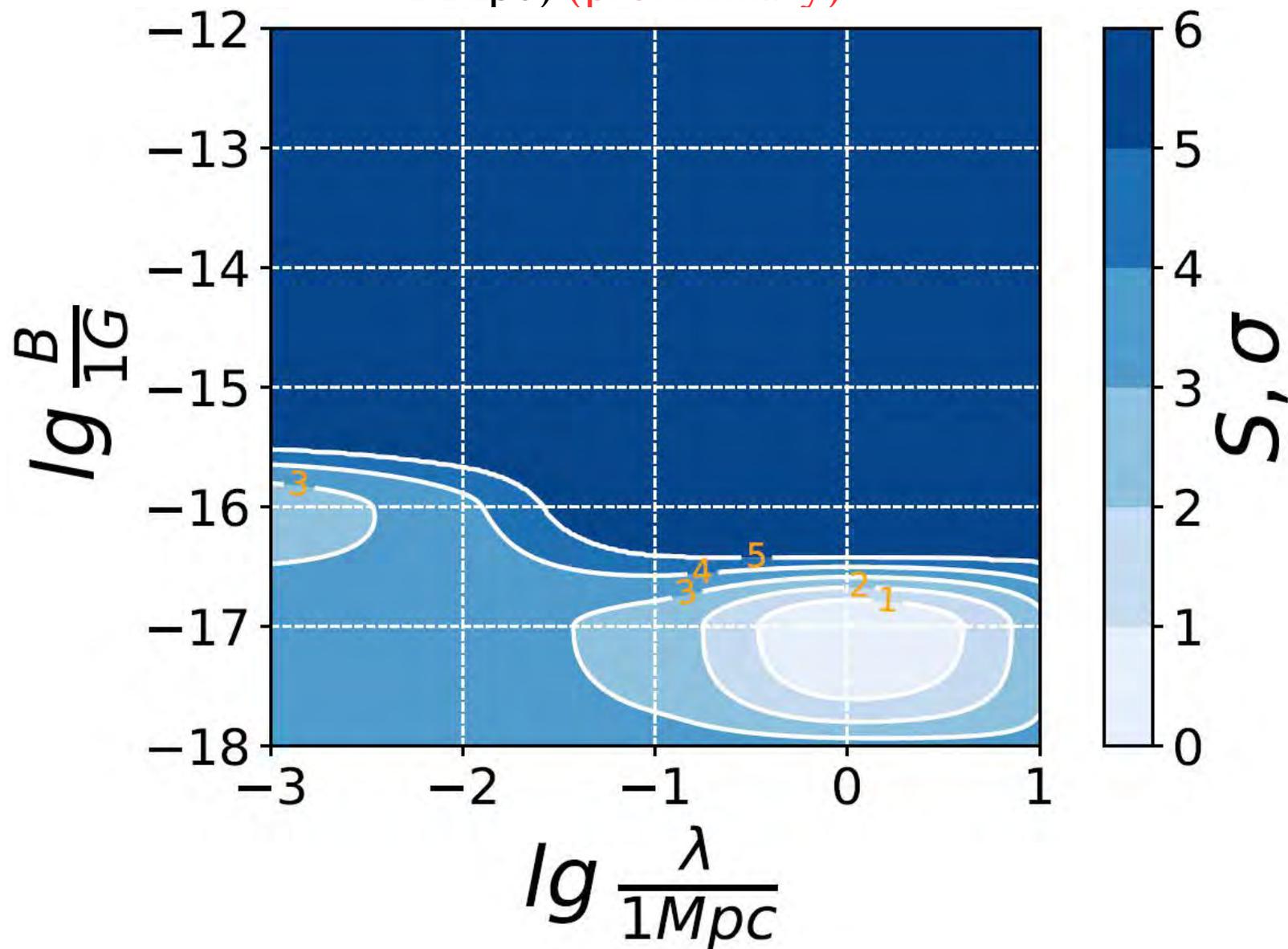
(background model according to Fermi-LAT --- Atwood et al., 2009):

- 1) “Signal” γ -rays: $\sim 20 \text{ Hz}$
- 2) Charged particles: $\sim 30 \text{ Hz}$ (after ACD suppression)
- 3) “Background” (terrestrial) γ -rays: $\sim 500 \text{ Hz}$
- 4) “Background” (terrestrial) neutrons: $\sim 500 \text{ Hz}$

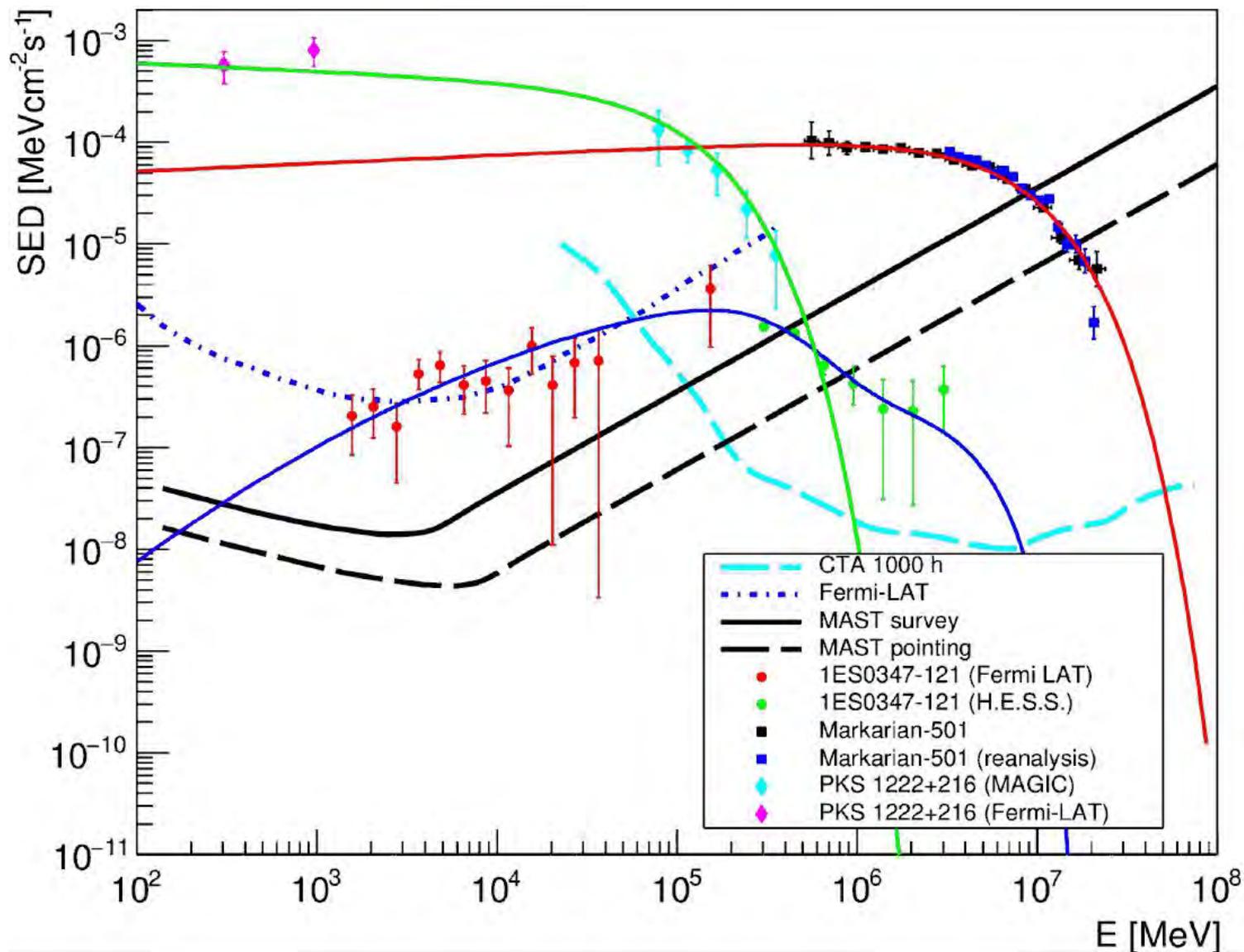
Cf.: Fermi-LAT max. downlink rate $\sim 400 \text{ Hz}$

Neutral backgrounds are very dangerous!

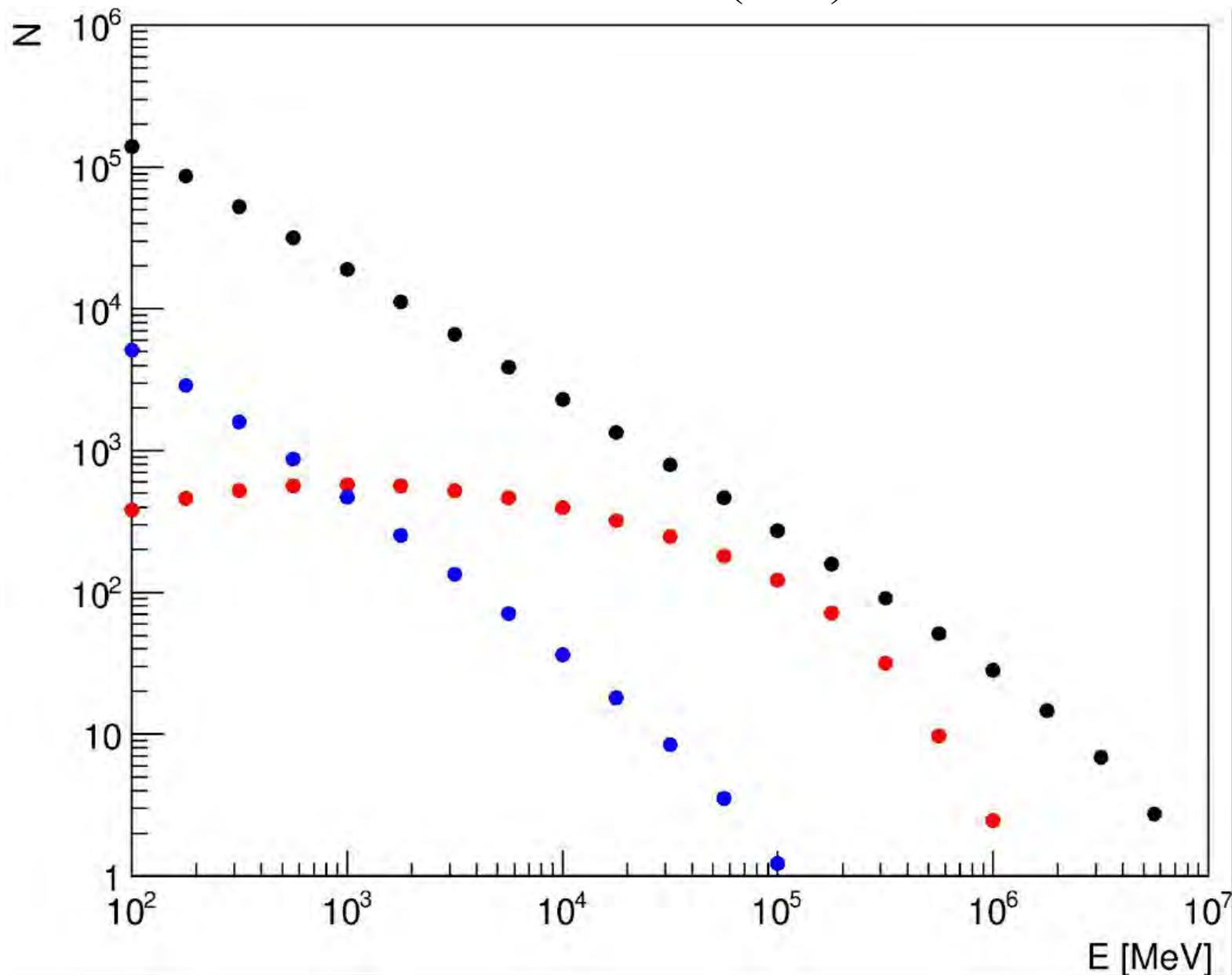
Constraints on the EGMF parameters with MAST, 3 year (survey mode), 1ES 0347-121 (spectrum+ang. distribution) (true MC: 10 aG, 1 Mpc) (preliminary)



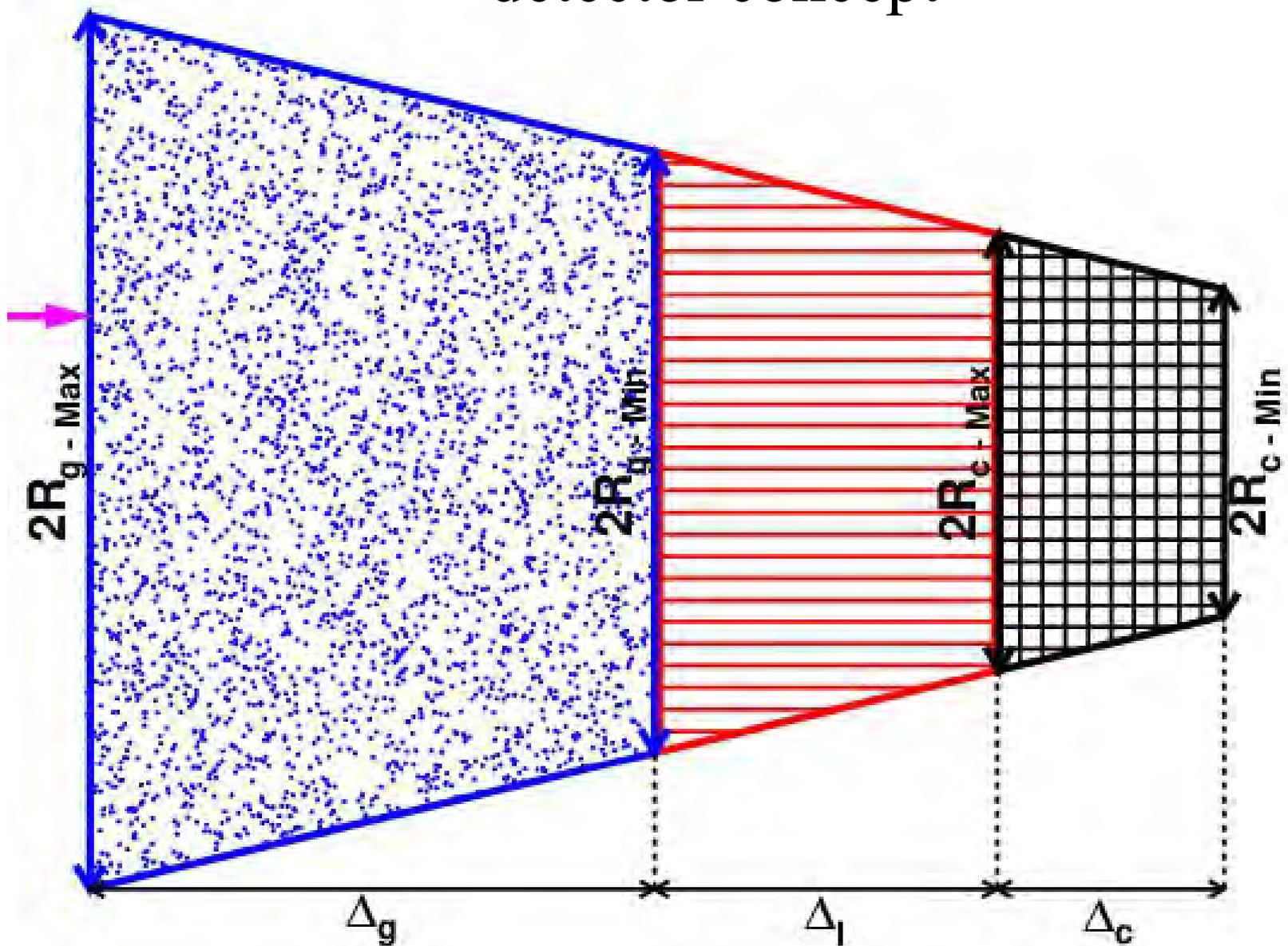
Prospects for AGN observation: 1ES 0347-121 (10 years, survey mode), Mkn 501 (6.5 month flare, survey mode), PKS 1222+216 (2.5 h flare, pointing mode)



Event number histograms: Mkn 501 (black), 1ES 0347-121 (red),
PKS 1222+216 (blue)



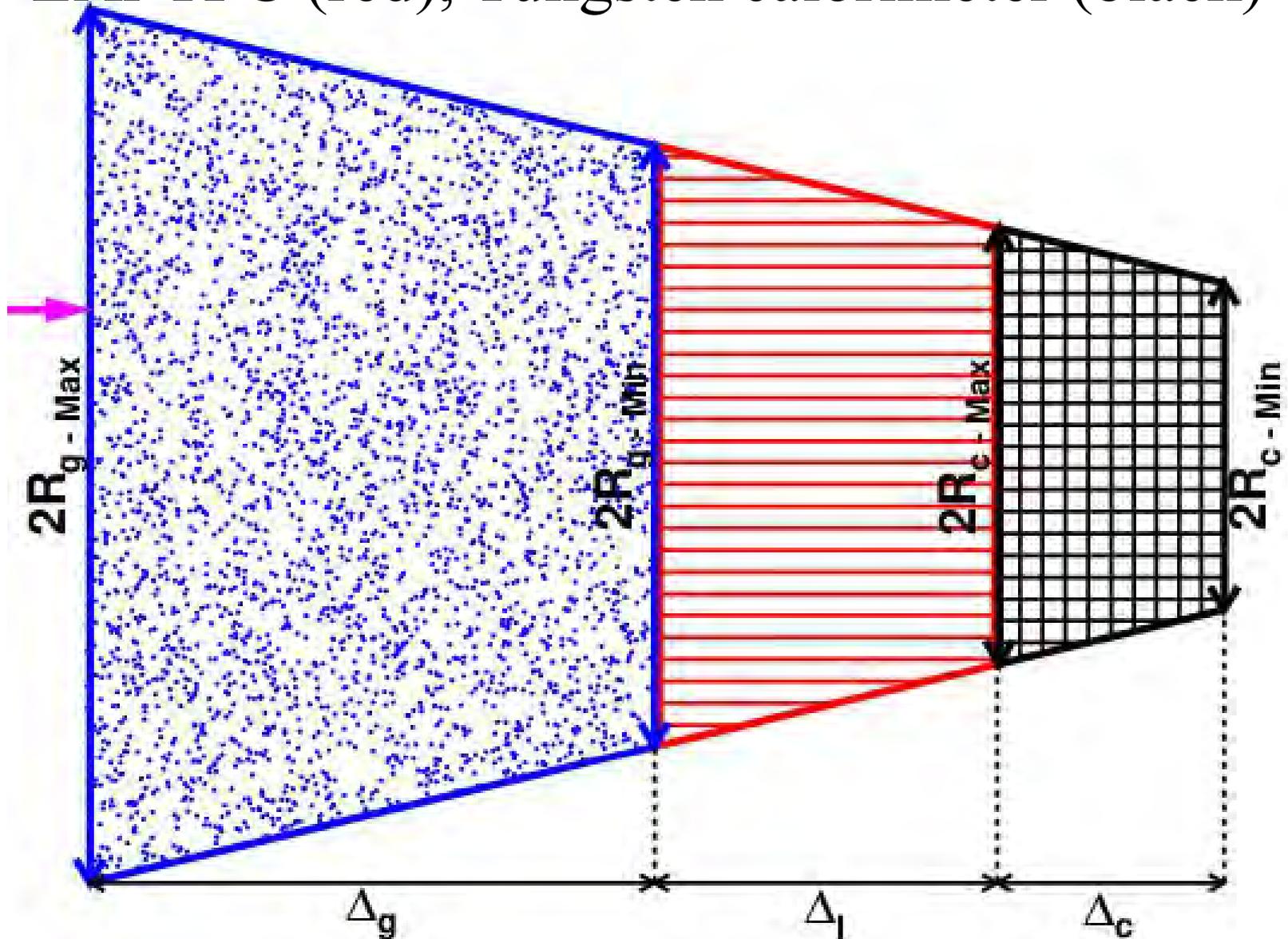
Optimize the detector mass (!?) → The Non La detector concept



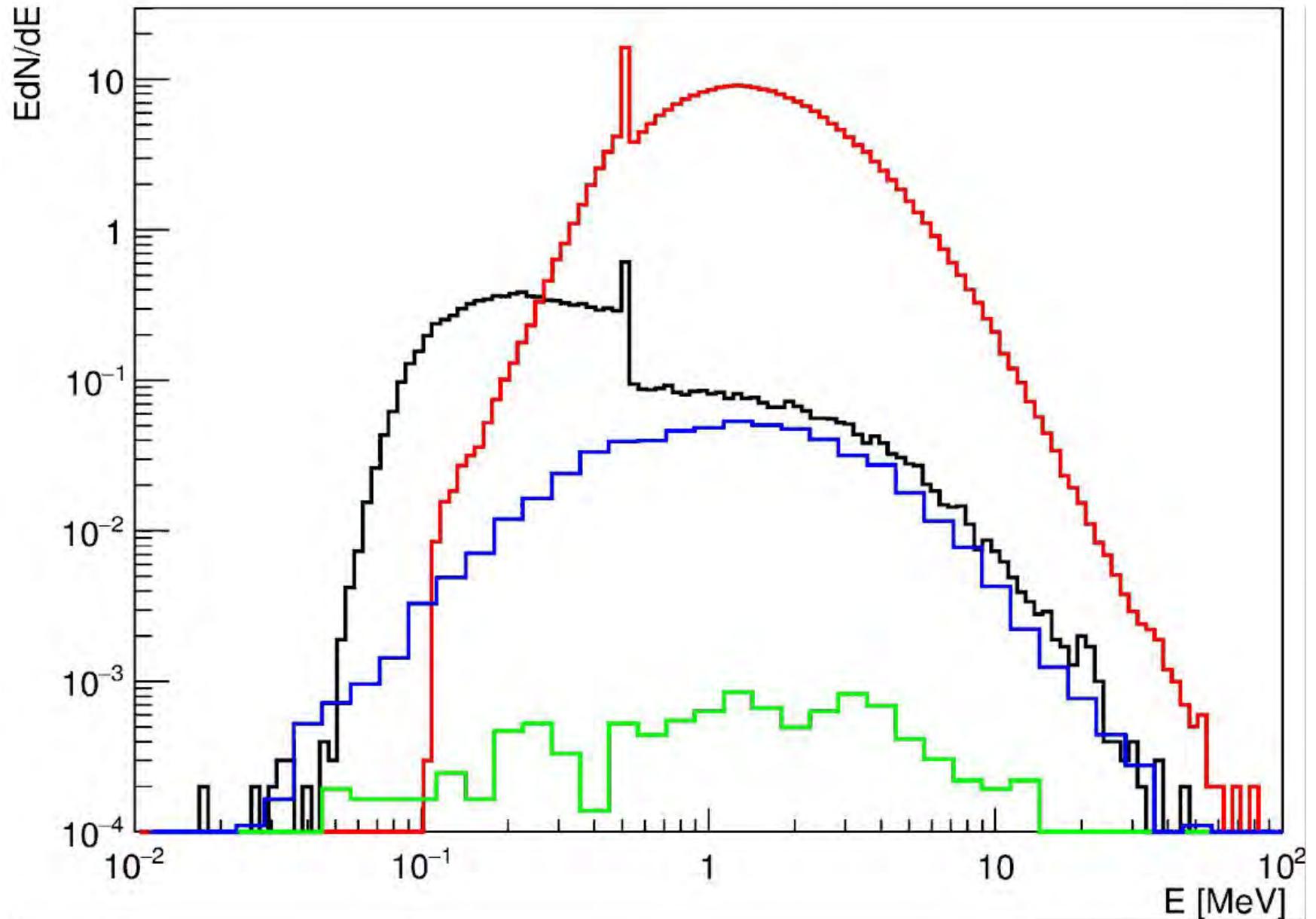
The Non La detector concept (<https://www.alibaba.com>)



The Non La detector concept: gas TPC (blue), LAr TPC (red), Tungsten calorimeter (black)



The flux of “backsplash” (“reverse current”) for Argon (γ -rays: black; e^+e^- : green) and Tungsten (γ -rays: red; e^+e^- : blue)



Conclusions

The MAST concept allows for:

- 1) a very large effective area ($\sim 10 \text{ m}^2$)
- 2) excellent angular resolution, 3–10 times better than the Fermi-LAT one depending on the energy
- 3) very good sensitivity
- 4) reasonable energy resolution ($\approx 20\%$ at 100 MeV and 6–10% for the 10 GeV – 1 TeV energy range)
- 5) Such a telescope would be instrumental in a broad range of long-standing astrophysical problems
- 6) Probably it is possible to reduce the mass of the instrument significantly by replacing the LAr calorimeter with a heavy-Z (e.g. Tungsten) calorimeter.

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Additional slides

$$\sigma_{\theta 1} = \frac{2\sigma_d}{x} \sqrt{\frac{3}{N+3}}$$

Finite detector resolution →
angular uncertainty

$$\sigma_{\theta 2} = \frac{(2\sigma_d)^{1/4} l_t^{1/8}}{X_0^{3/8}} \left(\frac{p_0}{p} \right)^{3/4}$$

Multiple scattering →
angular uncertainty

$$\sigma_d = \sqrt{\frac{l_t^2}{12} + \frac{K_D \Delta t}{v_d}}$$

Effective spatial resolution
of the detector

The TACT detector concept

